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Physics Formula



PHYSICAL CONSTANTS

Speed of Light C = 3×108 m/s

Plank constant h = 6.63 × 10-34 Js hc=1242 eV-nm

Gravitation constant 6 = 6.67 x 10" N m2/kg2

Boltzmann constant $k = 1.38 \times 10^{-23} \text{ J/K}$

Molar gas constant R = 8.314 J/mol.K Avogadro's number NA = 6.023 × 1023/mol

Charge of electron e = 1.602 x 10-4 C

Permeability of vacuum Mo = 41T x 10-7 N/A2

Permitivity of vacuum 6 = 8.85 × 10-12 F/m

Coulomb constant 1/4TTE = 4 x 109 N m2/c

Faraday constant F = 96485 C/mol

Mass of electron $m_e = 9.1 \times 10^{-31} \text{ kg}$

Mass of proton $m_p = 1.6726 \times 10^{-27} \text{ kg}$

Mass of neutron $m_n = 1.6749 \times 10^{-27} \text{ kg}$

Atomic mass unit $u = 1.66 \times 10^{-27} \, kg$

Stefan-Boltzmann constant = 5.67 × 10-8 W/m kt

Rydberg constant R = 1.097 × 107/m

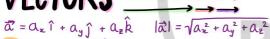
Bohr magnetron $u_B = 9.27 \times 10^{-24} J/T$

Bohr radius $a_0 = 0.529 \times 10^{-10} \,\text{m}$

Standard atmosphere atm = 1.01325 × 105 Pa

Wien displacement constant $b = 2.9 \times 10^{-3} \text{ mK}$

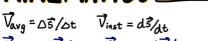
VECTORS



DOT PRODUCT a.b = anbx + ayby + azbz

CROSS PRODUCT $\vec{a} \times \vec{b} = ab \sin \theta$ = +(ay bz - byaz)-(azbz - bzaz)+(a

KINEMATICS



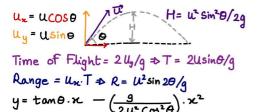
ang = AV/At ainst = dV/dt

v= u+at

S=ut + 1/2 RELATIVE VELOCITY VA/B = VA - VB

v2= u2 + 2as

PROJECTILE MOTION



LAWS OF MOTION

1st LAW: INERTIA 2nd LAW: F = dP/dt = ma 3rd LAW: Action = Reaction Friction: fstatic, maximum = U.SN $f_{kinetic} = u_k N$

Centripetal force = mv2 = mw2 Tsin 0 = mv2/r VERTICAL Tcoso= mg CIRCULAR tam 0 = V/rq MOTION

CURVED BANKING $\frac{V^2}{rg}$ = $\tan\theta$ $\frac{V^2}{rg}$ = $\frac{\mu \pm \tan\theta}{1 \mp \mu \tan\theta}$

WORK = F.S = FS cose

PSEUDO

FORCE

F.ds = 0 {work by Conservative } force in a closed path }

POWER = dw/dt = F.V

KE = 1/2 mv2 POTENTIAL ENERGY (U) Ug = mgh WORK-ENERGY Uspring = 1/2 Kx2

CENTER OF MASS

HOLLOW CONE = h/3 SOLID CONE = h/4

 $\chi_{cm} = \frac{\sum \chi_i m_i}{\sum m_i} = \frac{\int \chi dm}{\int dm}$ $\overrightarrow{V}_{cm} = \underbrace{\leq m; \overrightarrow{V}_{i}}_{\leq m;}$ F=macm

K+U = Conserved

HOLLOW SOLID

COLLISION 👺



MOMENTUM CONSERVATION { Always} $m_1 u_1 + m_2 u_2 = m_1 v_1 + m_2 v_2$

 $m_1 >> m_2$

m, → undisturbed motion Solve using COR in M. Frame INELASTIC

 $C_0R = e = \frac{V_{SEPARATION}}{V_{APPROACH}} = \frac{V_2 - V_1}{U_1 - U_2}$ ENERGY CONSERVATION {Elastic} $\frac{1}{2}m_1U_1^2 + \frac{1}{2}m_2U_2^2 = \frac{1}{2}m_1V_1^2 + \frac{1}{2}m_2V_2^2$

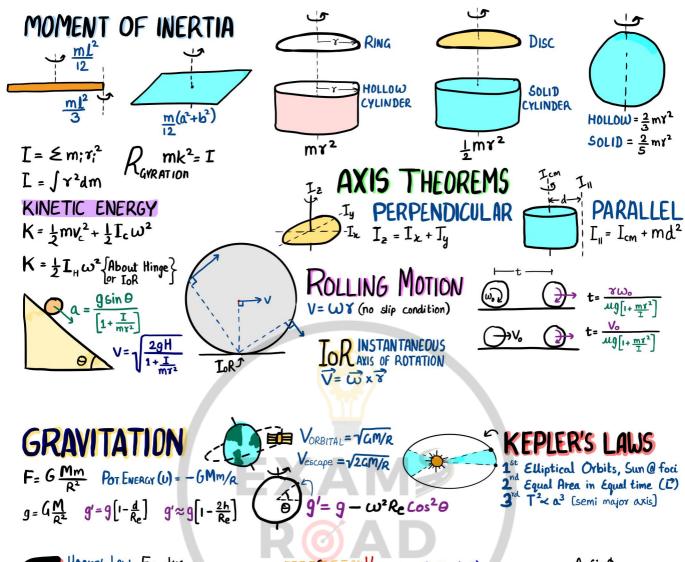
 $m_1 = m_2$ Velocity Exchange for Elastic

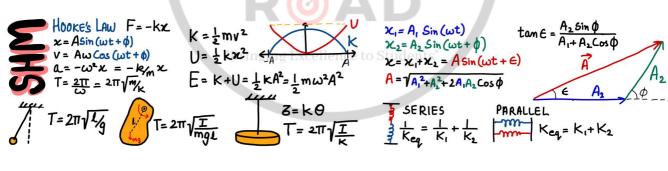
RIGID BODY DYNAMICS

 $\omega = \frac{\Delta\theta}{\Delta t} = \frac{d\theta}{dt} \quad \kappa = \frac{\Delta\omega}{\Delta t} = \frac{d\omega}{dt} \quad \vec{V} = \vec{\omega} \times \vec{Y}$

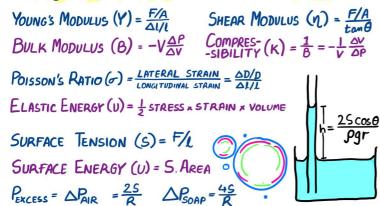
θ = ω₀t + j«t² | I = rxp = mvg $\omega = \omega_0 + \alpha t$ B= IX = d [/dt 3= 7xF= YIF= 8f sin0 $\omega^2 = \omega_0^2 + 2 \times \theta$

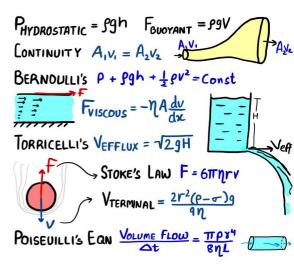
EQUILIBRIUM: Fret = 0 = Znet $\omega = 2\pi f$ W= 1/4

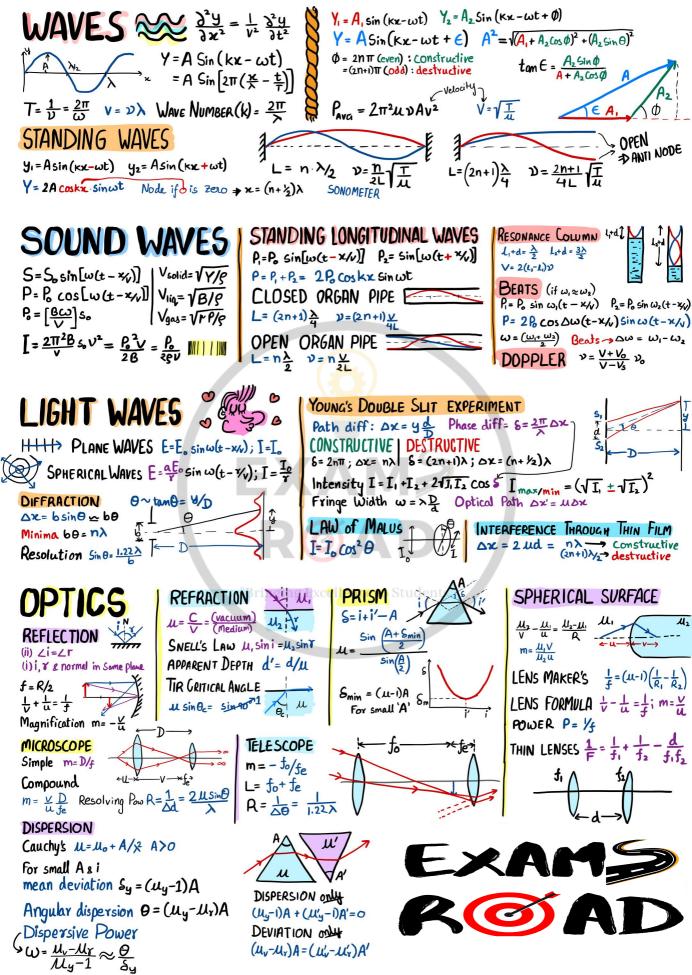




PROPERTIES OF MATTER







HEAT AND TEMP

F=
$$32 + \frac{9}{5}C$$

K= $C + 273.16$
Ideal Gas $\rightarrow PV = nRT$
van der Waals
 $(P + \frac{a}{V^2})(V - b) = nRT$

L= $L_o(1 + \angle \Delta T)$
 $V = V_o(1 + 3 \angle \Delta T)$
THERMAL STRESS
 $F = V \triangle L$

$$K = \frac{f}{2}kT$$
 for f Degrees of freedom

MAXWELL DISTRIBUTION
$$V_{RMS} = \sqrt{\frac{3kT}{m}} = \sqrt{\frac{3RT}{M}}$$

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$$V_{avg} = \overline{V} = \sqrt{\frac{8kT}{m}} = \sqrt{\frac{8RT}{m}}$$

$$V_{most probable} = \sqrt{\frac{2kT}{m}} = \sqrt{\frac{2RT}{M}}$$

Internal Energy
$$U = \frac{F}{2} nRT$$
 $F = 3 \text{ (monatomic)}$; 5 (diatomic)

SPECIFIC HEAT

Specific heat
$$S = \frac{Q}{m\Delta T}$$

Latent heat $L = Q/m$
 $C_v = \frac{f}{2}R$ $C_p = C_v + R$ $r = \frac{C_P}{C_v}$
 $C_v = \frac{n_1C_{V1} + n_2C_{V2}}{n_1 + n_2}$ $r = \frac{n_1C_{P1} + n_2C_{P2}}{n_1C_{V1} + n_2C_{V2}}$

THERMODYNAMICS

Isr LAW
$$\triangle Q = \triangle U + W = \int \rho dV$$

ADIABATIC $W = \frac{\rho \cdot V_1 - \rho_2 V_2}{r-1}$

ISOTHERMAL
$$W = nRT L_n(\frac{V_2}{V_i})$$

ISOBARIC $W = \rho(V_2 - V_i)$

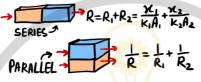
ADIABATIC:
$$\triangle Q = 0$$
; $PV' = Const$ $II^{ND}LAW$ ENTROPY $dS = \frac{dQ}{T}$

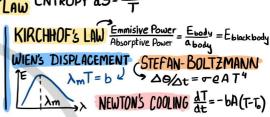
$\eta = \frac{\omega}{Q_1} = 1 - \frac{Q_2}{Q_1} = 1 - \frac{T_2}{T_1} \quad CoP = \frac{Q_2}{\omega} = \frac{T_{cold}}{AT}$

HEAT TRANSFER

CONDUCTION
$$\frac{\Delta G}{\Delta t} = -KA \frac{\Delta T}{\varkappa}$$

Thermal Resistance = $\frac{\varkappa}{KA}$



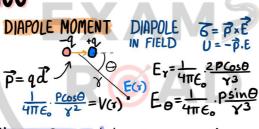


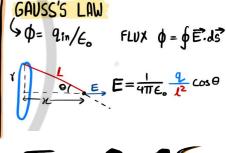
ELECTROSTATICS

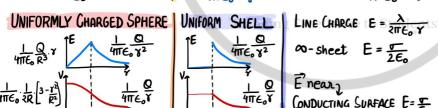
COULOMB'S LAW
$$F = \frac{1}{4\pi\epsilon_o} \frac{44_2}{\gamma^2} \hat{\gamma}$$

$$\vec{E} = \vec{f}/q = \frac{1}{4\pi\epsilon_o} \frac{4}{\gamma^2}$$
POTENTIAL $(V) = \frac{1}{4\pi\epsilon_o} \frac{4}{\gamma}$

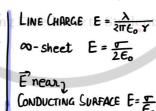
$$PE(U) = \frac{1}{4\pi\epsilon_o} \frac{4_14_2}{\delta} \vec{E} = \frac{dV}{d\gamma}$$



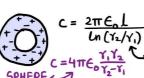














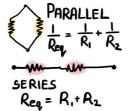
PARALLEL Ceq = $C_1 + C_2$ Force by blotes = $\frac{Q^2}{2AC_0}$ SERIES $\frac{1}{Ceq} = \frac{1}{C_1} + \frac{1}{C_2}$ $V = \frac{1}{2}CV^2 = \frac{Q^2}{2C} = \frac{1}{2}QV$ WITH DIELECTRIC C = 6.KA

CURRENT ELECTRICITY

DENSITY
$$j = \frac{i}{A} = \sigma E$$

Varift = $\frac{1}{2}\frac{EEG}{m} = \frac{i}{neA}$
 $R_{\text{wire}} = \frac{1}{2}\frac{i}{A}$ $f = \frac{1}{2}$
 $R = R_o(1 + \kappa \Delta T)$

OHM'S LAW V=iR

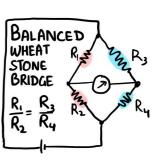


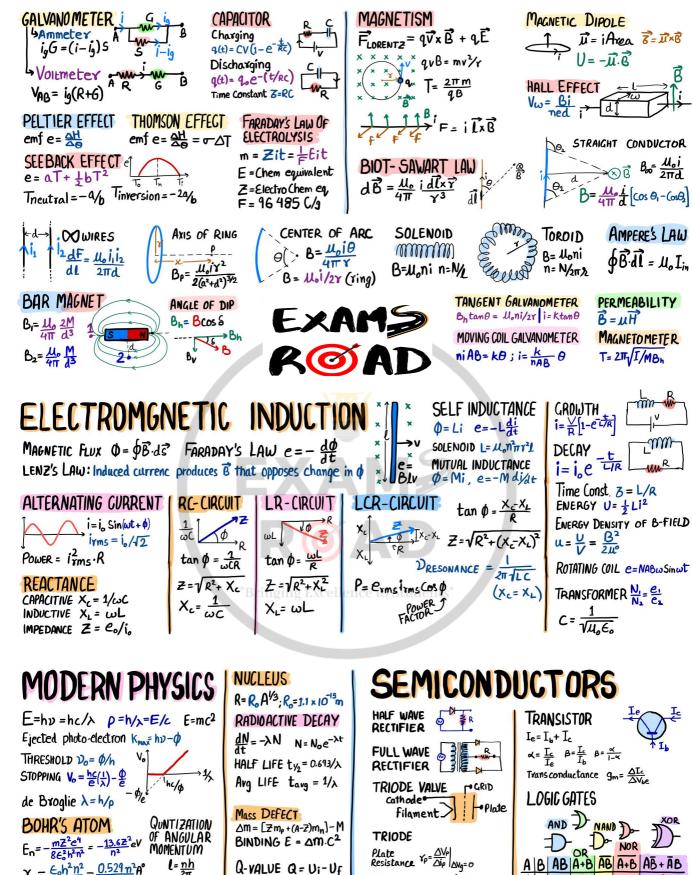
KIRCHHOF'S LAWS

*JUNCTION LAW ≤ I;=0 Sum of all i towards a node = 0

*LOOP LAW E DV = O Sum of all DV in closed loop = O

POWER = 12R = V/R = 1V





NOW, YOU'RE ONE STEP CLOSER TO YOUR GOAL

0 0 0 0 1

1 1 1 0 0

00

Trans-conductance $g_m = \frac{\Delta i_\rho}{\Delta N_g} \Big|_{\Delta N_\rho = 0}$

Amplification u=- \(\triangle \frac{\Delta \P}{\Delta \P} \)

M= Yp xgm

 $E_{TRANSITION} = 13.6 Z^2 \left(\frac{1}{h^2} - \frac{1}{m^2}\right) A^0$

Mosley's LAW $\sqrt{v} = a(z-b)$

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X-Ray DIFFRACTION 2d sin 0 = n > \ \lambda_{min} = \frac{hc}{eV}

IX-Ray SpEMS