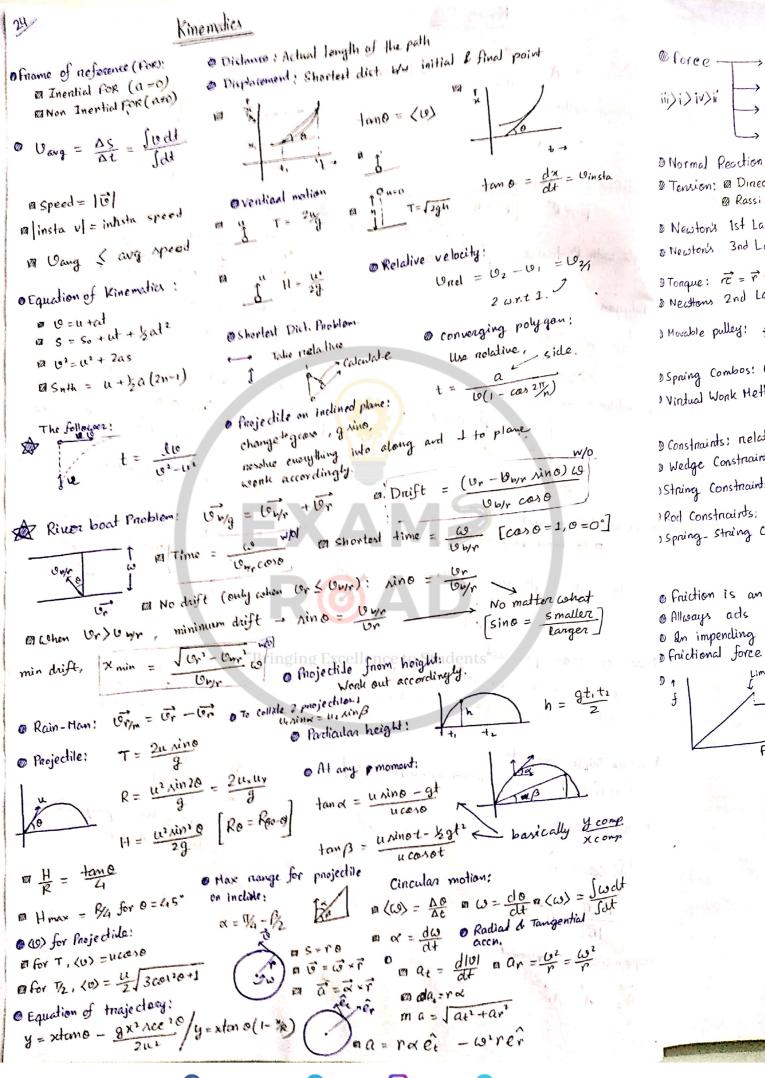
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Physics Booster





Vectors:
•
$$A = \frac{A}{|A|}$$
• Direction cosines: $f = COACCI = \frac{A}{|P|}$
• Cophenes vectors:
 $a^{2} = A + b^{2} + \mu^{2}$
• Addition of vectors:
 $p = R^{2} = \int p^{2} + R^{2} + 2PRCOACO}$
• Augle with P : torac $= \frac{P + RCOACO}{P + RCCACO}$
• Resultation of vectors:
 $p = R^{2} = \int p^{2} + R^{2} + 2PRCOACO}$
• Resultation of vectors:
 $p = R^{2} = Qr(R)$
• Cophenes vectors:
 $p = R^{2} = Qr(R)$
• Cophenes $Precess$
• $Resultation (-vectors)$
• $R = R^{2} + (-R)$
• $R = R^{2} +$



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| NII M 25 |
|---|
| NLM 25 |
| @ Force> Electromagnetic (i) @ Force> Contact force e.g. Fruction, Normal |
| (1) Force |
| iii) i) iv) ii Gravitational (ii) Harbonic (Strong nuclear) (iii) Gravitational (ii) Feild force e.g. g Force through attachment e.g. Tennion Force through attachment e.g. |
| Normal Reaction: Acts because of hardness of surface Always along ⊥ to the surface Normal Reaction: Acts because of hardness of surface Always along ⊥ to the surface Normal Reaction: Acts because of hardness of surface Always along ⊥ to the surface Normal Reaction: Acts because of hardness of surface Normal Reaction: Acts because of hardness of surface Normal Reaction: Acts because of hardness of surface Normal Reaction: Acts because of hardness of surface Normal Reaction: Acts because of hardness of surface Normal Reaction: Acts because of hardness of surface Normal Reaction: Normal Reaction: Acts because of hardness of surface Normal Reaction: Normal Reaction: Normal Reaction: Acts because of hardness of surface Normal Reaction: Normal Reacting No |
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| of Trading & Diffection of |
| Normal Reaction: @ Hits because 0 Normal Reaction: @ Hits because 0 Tennion: @ Direction of tension is always away from the body. Tennion: @ Direction of tension ek! Jabtak name nehi badlegi, tension nehi badlega, @ Rassi ek toh tension ek! Jabtak name nehi badlegi, tension nehi badlega, @ Rassi ek toh tension ek! Jabtak name nehi badlegi, tension nehi badlega, @ Rassi ek toh tension ek! Jabtak name nehi badlegi, tension nehi badlega, @ Rotational: Cnet = 0 @ Rotational: Cnet = 0 @ Rotational: State = 0 @ Rotational: Cnet = 0 |
| Newton's 1st Law: Equilibration. Free = 0 Adion & Reaction bet Adion & Reactio |
| @ Newton's 3rd Law: @ Action & Reaction acts on Difference Ry Consider tase hinge neachious. |
| Togque: $\vec{r} = \vec{r} \times \vec{F} = rF_{\perp} = Fr_{\perp}$ @ Hinge reaction $\vec{r} = k_{\star}$ $\alpha = \frac{g(m_{1}-m_{2})}{F}$ |
| © Reassi ek toh tension ek! Jabtak russi © Rassi ek toh tension ek! Jabtak russi © Newton's 1st Law: © Equillibrium: Fret = O © Newton's 3rd Law: © Force always exist in pairs @ Action & Reaction occurs simultaneously. © Newton's 3rd Law: © Force always exist in pairs @ Action & Reaction occurs simultaneously. © Newton's 3rd Law: © Force always exist in pairs @ Action & Reaction occurs simultaneously. © Action & Reaction acts on Different bodies. © Action & Reaction & Reaction : \overrightarrow{P}_{Rx} Consider two hinge neactions. © Tonque: $\overrightarrow{c} = \overrightarrow{r} \times \overrightarrow{F} = rF_{L} = Fr_{L}$ @ Hinge reaction: \overrightarrow{P}_{Rx} Consider two hinge neactions. © Newtons 2rd Law: $F = d\overrightarrow{P} = ma$ @ Simple pulley block: \overrightarrow{H}_{Rx} $a = \frac{g(m, -m_2)}{\Xi m}$ © Newtons 2rd Law: $F = d\overrightarrow{P} = ma$ @ Simple pulley block: \overrightarrow{H}_{Rx} a force to accn. |
| By the description of the observer is in. |
| (a) Newton's Side Laws, (b) Action & Reaction acts on Low (b) Consider two to q (b) Tonque: $\vec{\tau} = \vec{r} \times \vec{F} = rF_{\perp} = Fr_{\perp}$ (b) Hinge reaction: (b) \vec{r}_{xx} Consider two to q (b) Newtons 2nd Laws: $F = \frac{d\vec{p}}{dt} = ma$ (b) Simple pulley block: (c) $a = \frac{q(m_{1}-m_{2})}{\sum m}$ (c) Newtons 2nd Laws: $F = \frac{d\vec{p}}{dt} = ma$ (c) Simple pulley block: (c) $a = \frac{q(m_{1}-m_{2})}{\sum m}$ (c) Movable pulley: (c) \vec{r}_{xx} |
| @ Spaing Combos: @ Series: they = 2 this from into U or a] |
| © Spring Combos: @ Series: ther = 2 this is © Viritual Work Hethod: The YWM, T dSB = T dSA [transforminto U or a] a constraints: relative motion is for bidden in a certain directions. © Constraints: relative motion is for bidden in a certain directions. When the constraints: Not Relative motion I to wedge is for bidden. |
| Bild A cortain directions. |
| © Constraints: relative motion is for bidden in a certain arriver is for bidden. © Wedge Constraints: 2 Relative motion I to wedge is for bidden. Stoing Constraints: Relative velocity b/w two points along the length of string should be zero. |
| To Wedge Constraints: Relative ment |
| Declare Constraints: Relative motion I to String Constraints: Relative velocity b/w two points along the length of string should be zero. Relative velocity b/w two points along the length of string should be zero. |
| Rod Constraints: |
| Rod Constraints; o spring- string constraints; spring needs some time to react. |
| |
| |
| @ Fruiction is an Electromagnetic force, that is more electric and more force. @ Allways acls opposite to the direction of net velocity. @ Self Adjusting Force. @ Allways acls opposite to the directional force is a the normal reaction. @ f=UN |
| @ Allways acts opposite to the direction of her verocity. @ Allways acts opposite to the directional force is ∞ the normal reaction. @ $f = \mu N$ @ An impending state, the fructional force is ∞ the normal reaction. @ $f = \mu N$ @ An impending state, the fructional force is ∞ the normal reaction. @ $f = \mu N$ |
| The change of the stand of the |
| © + Limiting friction f=usN @ 2 body System: ↓ Limiting friction f=usN @ 2 body System: |
| field field find the field of t |
| To check, $a = \Xi m$ if Fp (Fmax no slipping. |
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| A REAL | | COM | | • | | | |
|---|--|--|---|--|--|--|--|
| | a the design of a | tride as incide a body wh | one the chole mans of th COM is based on the 1st | re body can be as | sumed to 27 | | |
| and and | be concentrated. | The OThe concept of | COM is based on the 1st | moment of mass. | o Smiri | | |
| | @ COM of 2 body synta | em; Sum of moments abo | COM is based on the ist but COM is zero @Hulti M_{i} ; superficial $\rightarrow \sigma = \overline{M}$; | ple body = 0-m - m | $l_c = \frac{Z m_i}{Z m_i}$ | | |
| | @ continuous mass dis | tribution: linear $\rightarrow \lambda = 1$ | $m_{\ell} ; superficial \rightarrow \sigma = \frac{m}{A};$ $m_{\ell} ; y_{\ell} = \frac{\int y dm}{\int T dm} ; z_{\ell} = \frac{\int T dm}{\int T dm} ; z_{\ell} = \int T $ | $[7dm Q:U_{r} = \Sigma m_{i}^{i} U_{i}^{i}$ | $a_c = \sum m_i a_i$ | | |
| ional | @ For continuous mass o | | | | Emi Zmi | | |
| alat 7 | @ special objects; l | @ Non uniform ma | is distribution: 1 - a 2.0 | lax+b | Jdx | | |
| indert] | $ \begin{array}{c} \mathbf{u} \\ \hline \mathbf{u} \\ \hline \mathbf{u} \\ \mathbf{k} \\ \mathbf{k}$ | Conservation of 1 | nomentum; $\frac{dp}{dt} = 0$ when | Fret=0 | t. ground, | | |
| hard | | R & All displacements, | nomentum; $\frac{dP}{dt} = 0$ when velocities and accus and J force arcting on a <i>N</i> onserved in that direction | to be trancin a ce | ratain direction | | |
| | Disc | | | | | | |
| a | B Hollow hemis B - 40 = | 3R momentum is c | onserved in that directionserved in that directions Take | $d_{m/n} = x$, $d_{m/g} = d_m$ | +x man + ration | | |
| C and | | | | | | | |
| | @ Hollow come @ - yc = | 24 (From Top) @ Perfectly in | SERVATION: Take elastic Collision [e=0] m_1u $m_1u_1 + m_2u_2 = m_1u_1 + m_2u_2 = m_1u_1 + m_2u_2 = m_1u_1 + m_2u_2 = m_1u_1 + 2m_2u_1 + 2m_1u_1 + 2m_2u_1 + 2m_1u_1 + 2m_2u_2 = m_1 + m_2u_1 + 2m_2u_2 = m_1 + m_2u_1 + 2m_2u_2 = m_1 + m_2u_2 = m_1 + m_1 + m_1 + m_1 + m_1 + m_1 + m_1 = m_1 + m_1 + m_1 + m_1 + m_1 + m_1 = m_1 + m_1 + m_1 =$ | on in collision: @e | $=\frac{u_1-u_2}{u_1-u_2}$ | | |
| 49-1 | Collisions? | @spring Model: | • momentum conservation $m_1u_1 + m_2u_2 = m_1u_1 + m_2u_2 = m_1u_1 + m_2u_2$ • Elastic collision: a u • $u_1 = \frac{m_1 - m_1}{m_1 + m_2} u_1 + \frac{2m_2}{z}$ | $m_1 U_2$ | vy of approa | | |
| DUG | Ation i Million | [m] mm M | @ Elastic collision: @ U | $2 - 0_1 = 0_1 - 0_2 Le^{-2}$ | $\frac{1}{2}u_{2} + \frac{2m_{1}u_{1}}{2m_{1}u_{1}}$ | | |
| 00 | HO LOI | At max compression, | B Elastic collision: a b a $u_1 = \frac{m_1 - m_2}{m_1 + m_2} u_1 + \frac{2m_2}{z}$ | <u>n, uz</u> <u>zm</u> | Em | | |
| hora I | () Inelastic Collision; [1 () Inelastic $m_1 - em_2 + \frac{m_1 - em_2}{\Xi m} + \frac{m_1 - em_2}{\Xi m}$ | mi + graph | | 1 - 1 = 1 - 1 = 1 = 1 = 1 = 1 = 1 = 1 = | change of J | | |
| | $m U_1 = \frac{m_1 - em_2}{m_1 - em_2} +$ | (1+e) M2U2 | $a_{m_1} = m_2 \longrightarrow 0_1 = 0_1$ | $(9) = 2u_1 \int_{-\infty}^{\infty} m^2$ | ,≈0] | | |
| stangel . | Σm | HO MIN TAP | $\begin{array}{cccccccccccccccccccccccccccccccccccc$ | = 0 = 0 / 0 = - u | [mm = 0] | | |
| | $BU_{1} = \frac{m_{1} - em_{1}}{\epsilon m} + 0$ | | - m.///m. 142-0 | | | | |
| -102 E | (| Jong LOI @ | ↓ 9f friction =0, no mains us chang | ged, UNING = UN | in p | | |
| algant in | $\emptyset \ e = \frac{V_n \ of \ sependation of }{V_r \ of \ appnoach \ o}$ | ilong LOI | $K \Delta P = 2mucoso$ | $m \cos \phi = eu \alpha$ | osø | | |
| Pro Providence | [No fnictio | $\frac{1}{2}$ by doewit change. $+t_2 = T$ | $\alpha \phi = tam^{-1}$ | $\frac{ta-0}{e}$ | r s Garri | | |
| | As y | $+t_2 = T$ | | | in unchar | | |
| | Oblique Collision 1 Compc and co | the of valocities per | pendicular to the Lin | e of Impact ren | ds. | | |
| 1001 | () Oblique Collision! Compo | long Line of impact | upendicular to the Lin formulae for head 3 = 2mucoso | -on collision for | AP (dN) F=my | | |
| and the second second | Oblique Collision! Compcond and cond [Impuse]: J = AP = . n | $m\vec{v} = m\vec{v} = m\Delta v$ | \vec{P} $\vec{J} = 2mucoso$ | | called impulsion | | |
| "Engilie | [Impuse]: J = ΔP = n Imputive force: when c | Jancie force acts f | bra small duration | of time, then is in | abrupty. | | |
| · · · | The force should new | ecercity first in crec | use to a large magni | ive in nature. | apar toplin | | |
| 11 | [Impuse]: J = ΔP Impulsive force: when a The force should news fraction resulting Christel (mg) and set | from impulsive no | is non impulsive. | | umo | | |
| No F- | © fruction resulting © Cleight (mg) and sp | rung Jorce Rocket 1 | nopulation: U = u + Urln | $\left(\frac{\gamma_{1}}{m_{0}}\right) - gt = 0$ | motat | | |
| 2 | © friction resulting © cleight (mg) and sp © [Variable mars]: Fth = | | @ KE in ground | frame: | | | |
| | | | $\frac{1}{1000} \text{ KE}_{G} = \text{KE}_{C} + \frac{1}{1000} \text{ KE}_{G} = \frac{1}{1000} \text{ KE}_{C} + \frac{1}{1000} KE$ | | | | |
| | F+n = J | Kinetic Enorgy in Cfrem | e) = = = 111800 | $l^{2} + \frac{1}{2} (m_{1} + m_{2}) Uc^{2}$ | | | |
| 35 | @ C-Fname | KINETIC COMBA | - 2,0.01 | 31.23 | | | |
| | - vi - vz | $(E_c = \frac{1}{2}) \frac{1}{2} \frac{1}$ | a [m] mm | $\overline{u_2} \rightarrow \overline{u_1}$ | | | |
| 2 | $\overline{U_{\ell}^{2}} = \frac{m_{1} U_{1} + m_{\ell} U_{2}}{m_{1} + m_{2}}$ | Reduced mars (mM) | JV- | 1 | | | |
| | | lass compnession: | m-mm- | The former | . <i>(</i> C) | | |
| act. | $\overline{\mathcal{O}}_{1/2} = \frac{m_3(\upsilon_1 - \upsilon_2)}{m_1 + m_2} \text{ON}$ | $\frac{1}{2} \mu \theta \operatorname{rel}^2 = \frac{1}{2} k \chi m^2$ | / | THE W | | | |
| Pages | $\overline{10}_{1} = m_1(0_2 - U_1)$ | 2 JU O rel - 12 m | mac | F→F | 17 - La - | | |
| | $\overline{U_{32}} = \frac{m_1(U_2 - U_1)}{m_1 + m_2} \otimes A$ | has height: | | | 2 1 1 | | |
| | $\vec{P}_{y_c} + \vec{P}_{y_c} = 0$ | JUU2 = mgh | Ter 1 | | Pini N | | |
| | To la amomente | Jan- | | | | | |
| | Ce-frome also Omomente | ~ | 18.53 | | | | |
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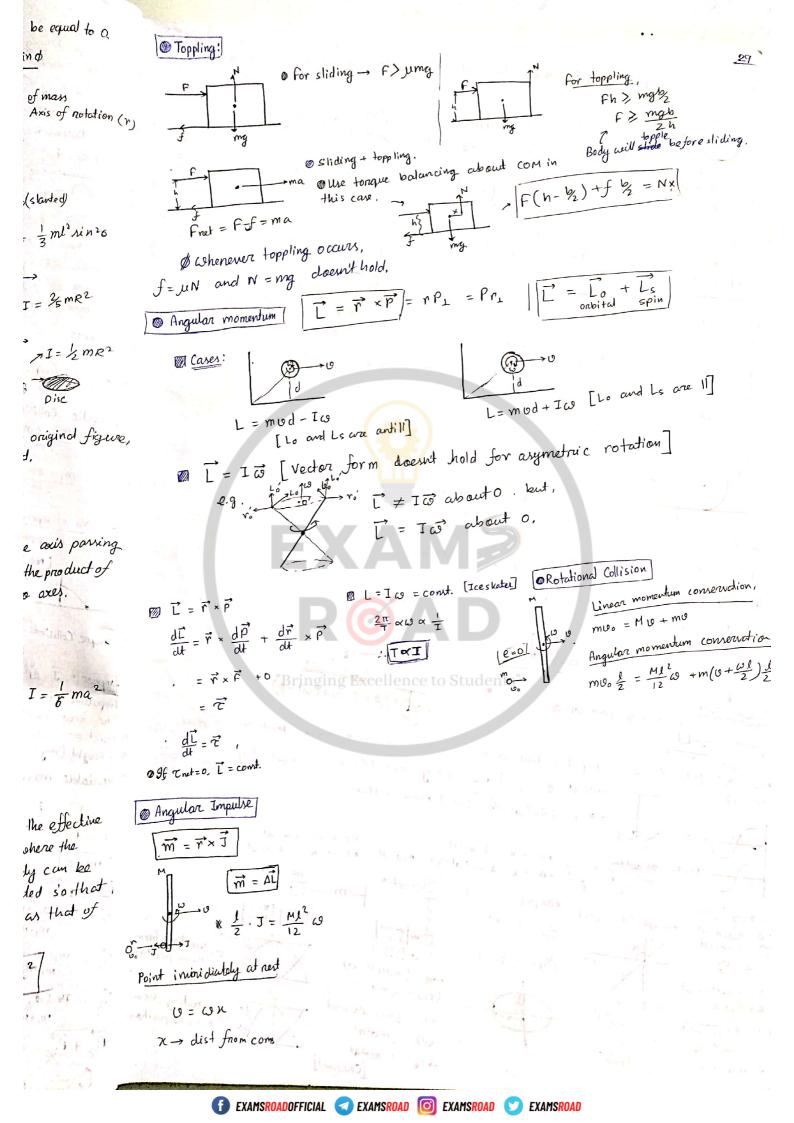
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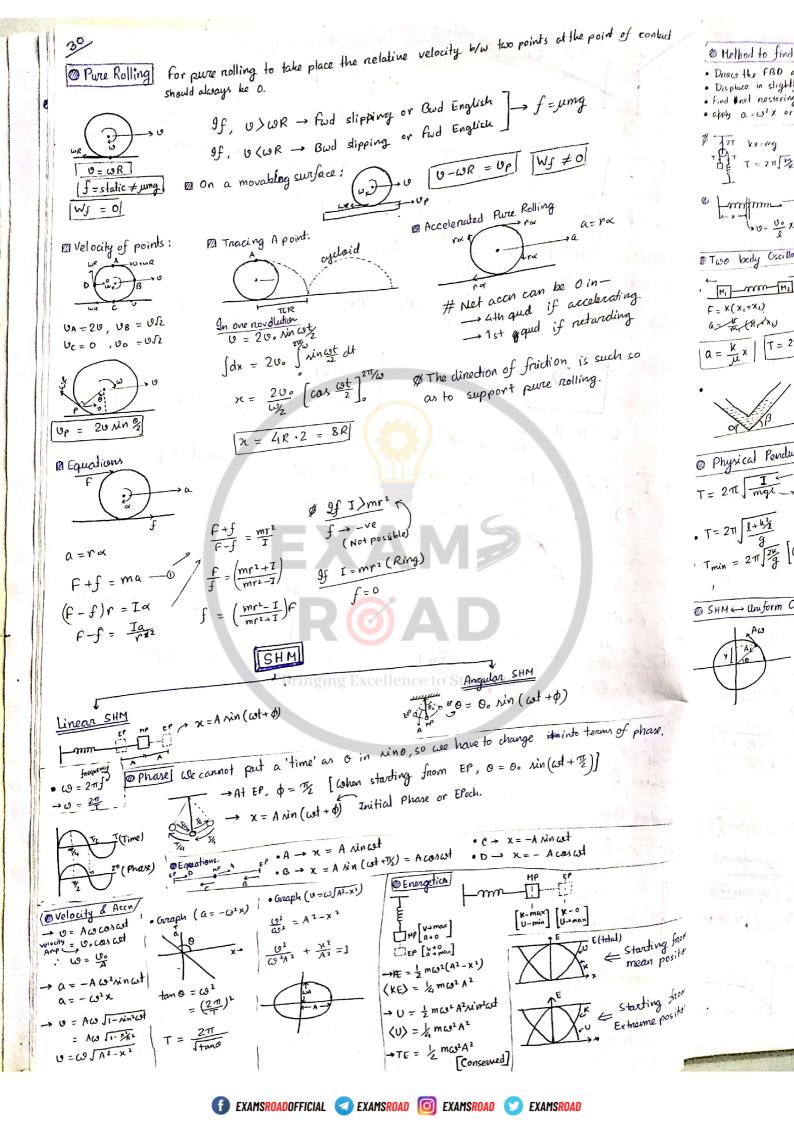
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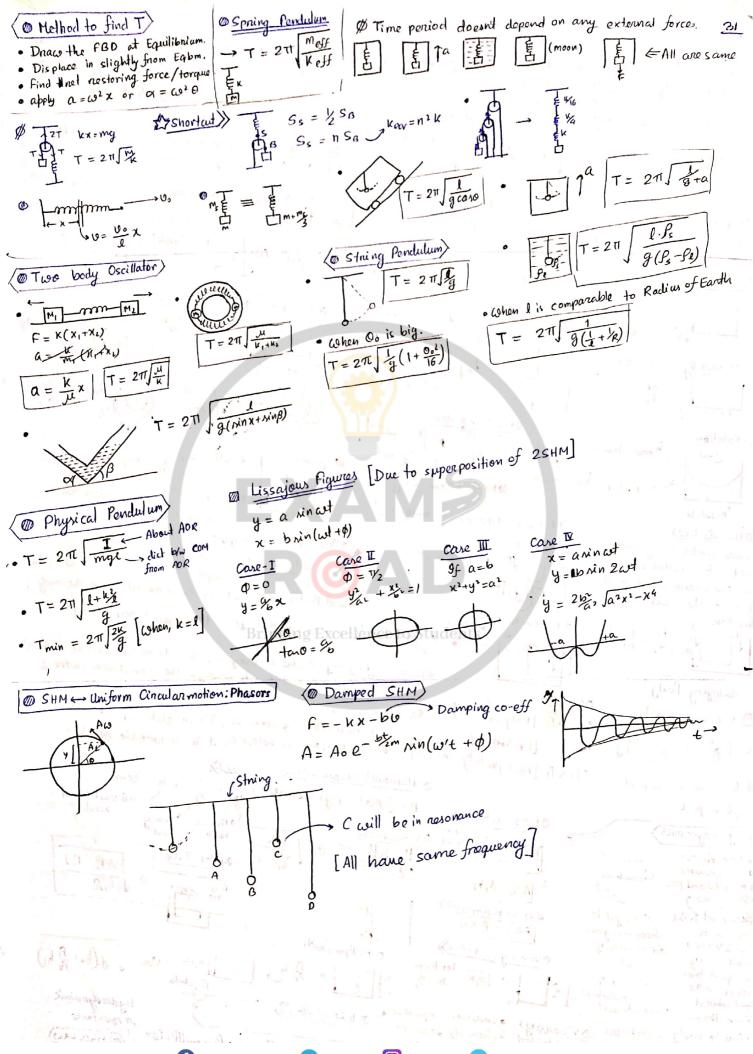
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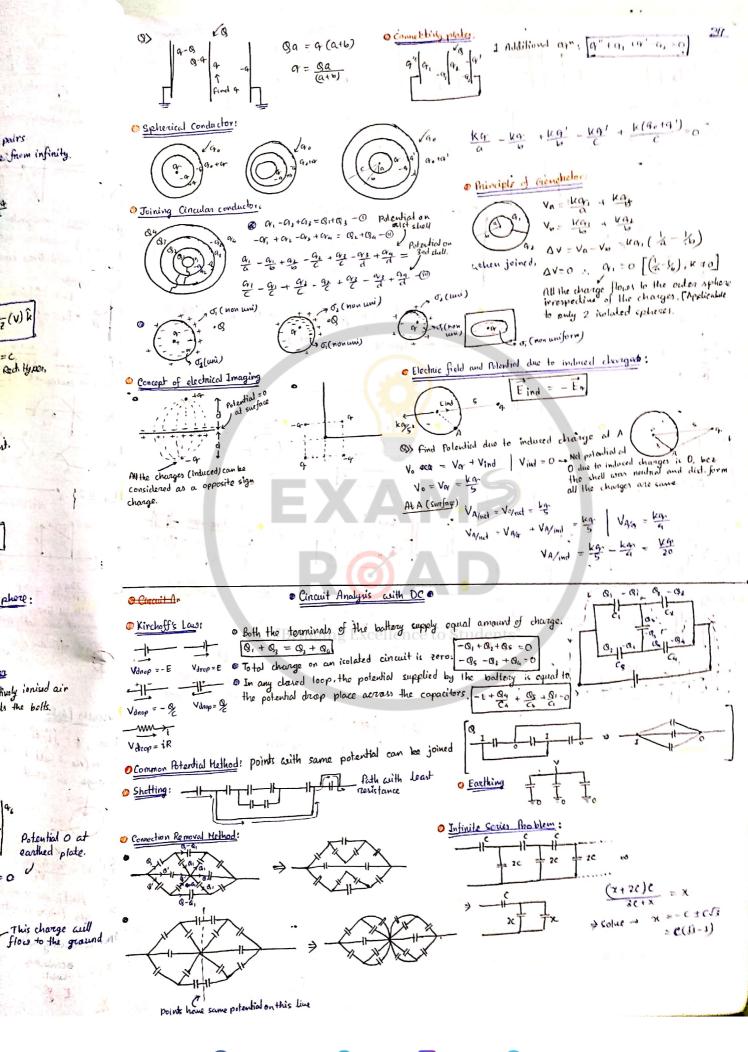


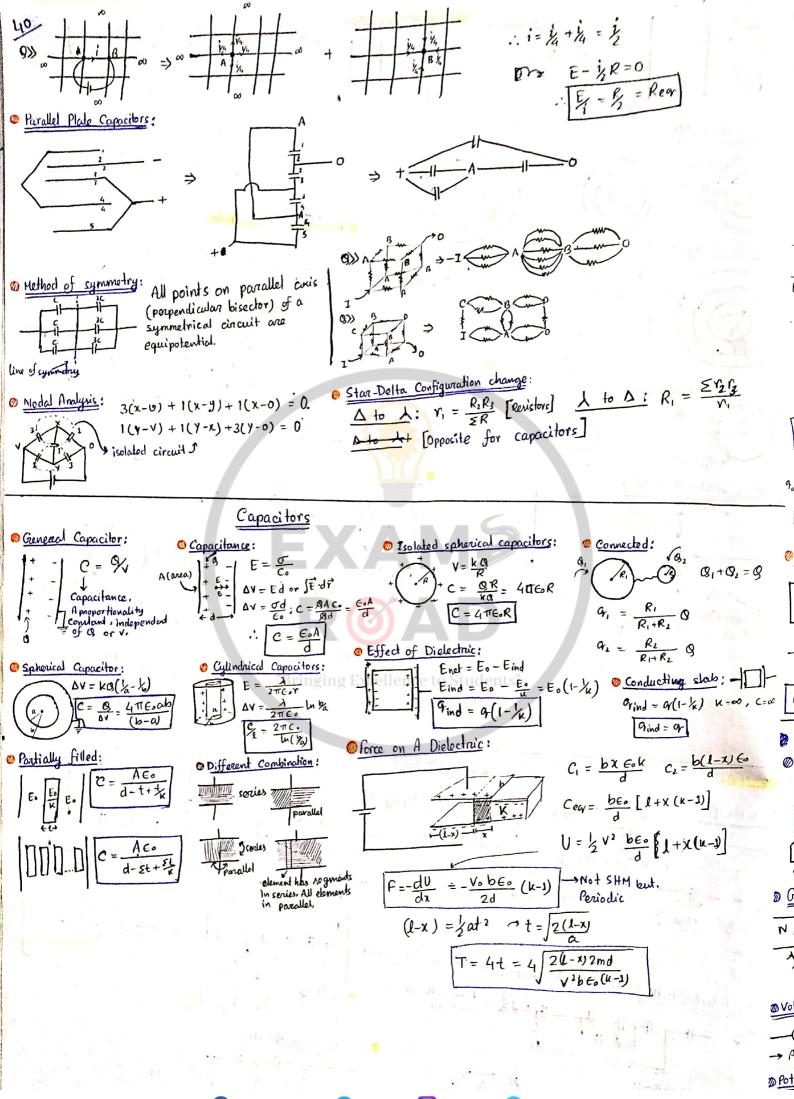
(Hydrostatics). Ideal fluids → • incompressible (Piscont) hty drostatics). I dear junion incompart tangential force of Surface Tension) to Non viccous (The layers don't exert any tangential force of Surface Tension) to such allows Fluids 32 each other. A liquid is alcoays known by its density. Offluids are those which cannot withstand any tongential sheer. 🕱 Rain (O Rolatine Domity = P of the cubetonce ~ Always same height i¥. are sper @ Hydrostatic Arradox: P of H20 at 4°C · Finding Eq Density: Ovariation of premize cy Depth T= 🕺 ·Absolute P is +ve > Pressure is same is every direction · Gauge P can be In FOP = Pgh -> Electrifica the or -ve. - This negation compensates Ø D Surface Energy Wor dp=99 Jh F= PghA ! O - Ind fa Abrolute P = Ps + Pgh GiaugeP U= T. Anea Submerged part ne main son^b Excess Pressure in a if its accelerated mi+m2 HEIM B· Liquid can exect force > its weight. -(Hultiple liquid) 17 its · vertically accelerated # 11 P2 This Pight · Angle made by free surface $\frac{dP}{dR} = P[\vec{a}y]$ 2T R $\beta = \tan^{-1}(\frac{9}{3})$ Q1.... 19, lines wel same p f.-f.) Radius of Comm · Horizontally accelerated is Il to swiface. $\chi = \frac{(f_2 - f_1)I}{(2f_2 - f_1 - f_3)}$ $\frac{dP}{dx} = Pa_x$ 1 Oforce on a dam F = Pgbh2 o when al, h= hog @ Rotation Rulged towards $\tau = -\frac{f_{2}}{f_{2}} bn^{3}$ h max - h min 2 the bigger one. • Air pumped out, h will decrease. & Moment Arm - 1/2 O Capillery Tube hinitial = @ Air pumped in , h will increase. O Pressure Measuring Intraineds Paiabolo Tushen a body is partly or fully amerged in a fluid, it experiences a loss in calight i.e. equal to the caseight of the h= Pascal's Law Pressure exorted to any enclosed ornano metery p-P. = Pgh liquid that is displaced by the immersed part of the body of fuild is transmitted equally and and undiminished to all & Barcometery retrictilian Pigh = Po [Lose in ceeight = U = B = art of liquid displaced] parts of the fluid in all @Centre of bucyancy: Centre of bucyancy depends on the suzface area : Tube of Insufficie direction. FILF = FI the submerged part and it acts through the geometrical centre of Aliquid will not M JP. P=0 HA. A. O I doutifying Purity @ conditions the submorged part • If Netacentre is above G, it is in stable equilibrium. angle. · Ps > Se [Body will sink] $\bigcirc \Rightarrow x(\omega) + (m-x)Au$ he • If Metacentre is below G, it is in unstable equilian. 10 = ho · Ps = P2 [Equilibruium] caso $U = \left(\frac{x}{P_{cu}} + \frac{m-x}{P_{Au}}\right) f_{e}g$ · Ps < Pe [float partially submanged] . Barnouli's Theorem (Cons. of Energy)). $+ \frac{b^2}{2} + h = const.$ Slanted Swrfac $\frac{Barrow }{p + \frac{1}{2}pb^2 + pgh = 0 \text{ onst. } \int \frac{p}{pg}$ If Uis same as UAu (pure) + Gravitational sample is pure. @ Eq" of continuity)) head. > Velocity Pressure (Hydro dynamics AL (Cons. of O Venturi meter head $U_1 = \sqrt{\frac{A_1^2}{A_1^2} - 1}$ 2gh . Non viscous OPitot Tube $2(P_2 - P_1)$ Incompressible
 Non rotational flow Streamlines $A_1V_1 = A_2V_2 = \cdots$ 5= (10 m · Steady flow) & If lig is compnensible Every point in the Trangent to $P_i A_i V_1 = P_2 A_2 V_2 = \dots$ streamlines gives flow ran be Til associated as a O Multiple fluids Ovelocity of Efflux) dir of velocity. unique velocity, the liquid takes For Rmax P_2] h_2 th' $\rightarrow V_{eff} = \int 2g \left(h_1 + \frac{P_1}{R}h_1\right)$ U= 2gh thevel of the point when it "I A Two streamlines can't intersect. Time to empty a container (Viscousity) . Immisible impurities. Hydro dynamic @ Tube of flows → Poisewilli's Eqn $t = \frac{A}{a} \begin{bmatrix} 2y \\ 3 \end{bmatrix} \begin{bmatrix} c_{ique} & m_{iss} \\ F = -nA \begin{bmatrix} 2y \\ 2y \end{bmatrix} \end{bmatrix}$ Missible Impunities $\begin{bmatrix} 12 \\ 2y \end{bmatrix} \begin{bmatrix} c_{ique} & m_{iss} \\ F = -nA \begin{bmatrix} 2y \\ 2y \end{bmatrix} \end{bmatrix} \begin{bmatrix} c_{ique} & m_{iss} \\ F = -nA \begin{bmatrix} 2y \\ 2y \end{bmatrix} \end{bmatrix}$ OStokes Law $g = \frac{dv}{dt}$ DP It 2 ory out of the viceousity. vel gradient Fla=6mgru 891/124) 3 0= 4 - Power delivered Hydrodynamic avview, OLT Wurst Force nature of lig by Viscous force O Motion in niscous fluids Temp for tiqued > b a - height thom $P = \frac{DA}{V_{rel}^2}$ If a = (mg-U - 5mpR " Termined velocity Ut are? Fin = PAU2 For Gas - y x JT = & - BO Scalar form -> F=-DAAV $U_{t} = \frac{2}{9} \frac{R'g}{n} \left(f_{t} - f_{t} \right) \frac{U_{t} \propto 1}{n}$ $\upsilon = \frac{\alpha}{\beta} (1 - e^{-\beta t})$

to dynamic vistance, tokes Law?

Gras: Even expanding in nature • Exercises pressure on the walls of the chamber in which it is enclosed, \overrightarrow{A} and \overrightarrow{A} $\rightarrow A$ gas behaves likes an ideal gas at high temperature and low pressure. • The actual volume occupied by the molecules are negligible compared to the volume of the original the columne of the original by the molecules are negligible compared to the volume of the original by the molecules are negligible of the compared to the volume of the original by the molecules are negligible compared to the volume of the original by the molecules are negligible of the original by the molecules are negligible of the original by the molecules are negligible of the original by the original by the molecules are negligible of the original by the original by the original by the molecules are negligible of the original by Assumption of KTG → • All the molecules are identical and indistinguisable $\frac{k Q_1 Q_2}{r} \hat{r} =$ • All the collisions are elastic and the molecules obey newtons laces, 41 $\frac{1}{2}m\bar{0}^2 = KE = \frac{3}{5}k_0T$ KO.O. . 7 $P = \frac{1}{2} \underbrace{mN}_{ij} \overline{D}^2$ 3RT Mo $\frac{\rho}{e} = \frac{2}{3}$ Orms = J Angula $e = \frac{1}{2} \frac{H}{\sqrt{0}} = \frac{1}{2} \frac{P \bar{b}^2}{2}$ e = 5 F = O CHomen $P = \frac{1}{3} \mathcal{P} \overline{\mathcal{Q}}^2$ a Diameter of each molecule • Kong of one mole = 32RT $\bigotimes k_{avg}$ of each molecule = $\frac{3}{2}kT$ 1 @ Hean free path J2(/) 1 d2 7 = $U_{mp} = \sqrt{\frac{2RT}{M_{o}}}$ @ Maxwells speed distribution; @ Law of Equipartition of Energy An ideal gas behaves live an ideal father. Divides Xx 1/p 8RT (R)A)H Porg = JIM. Ja (No) among all DOFs equally. Field lines: -If T = cont. J 3RT (-~~)→ ca Urms = $c = \infty$ DOF, Mole, Molecule = 2 KT Cadia = 0 $\rightarrow No$ of field Omp U = 2 RT · U = 2 NRT Special Cases: Degree of freedom: It is the number of coays in cohich a gas can Ex = · posses energy. of There are infinite ways Ey= Polyatomic non-linear MA DA U=ZnfRT to heat a gas. TKE (2mu2) 3 3 3 $dg = nc dT \rightarrow c = \frac{dg}{ndT}$ RKE (2102) 3. n 2 3 . 5 6 At High T @ Internal Energy 2 MA DA PA 2 $dU = nC_v dT dU = \frac{n}{2} f R dT$ 8 7 ζ 3R 58/3 Cv 3R · Mayer's formula @ Cp & C. equivalent for mixture of gases 4R 78/5 $C_{P} - C_{V} = R$ $\gamma = 1 + \frac{2}{4}$ 5R Cp $C_{y_{eq}} = \frac{n_{i} C_{y_{i}} + n_{i} C_{y_{i}}}{n_{i} + n_{i}} \cdot C_{e_{e_{i}}} = \frac{n_{i} C_{e_{i}} + n_{i} C_{e_{i}}}{n_{i} + n_{2}}$ 4/3 X 7/5 5/3 Dipole: -q @ Isothermal Process · Ser = Crier Biso = Pp tono =- P 2Econde PV=const, DU=0 @First Law of Thermodynamics [Based on conservation of energy] $W = 2.303 \text{ nRT} \log \left(\frac{V_2}{V_1} \right)$ @ Adiabatic dg = dU + dW $f_{net} = \frac{2kqra}{(r^2+a^2)^2}$ $W = 2.303 \text{ nRT} \log(\frac{P_{p}}{p})$ dg=0, dw=-d0- T2 - TI M2T2)Nis on equitorial line dg → + (heat gained) - (released) tan 0 = -8P PV & = const ipole moment are V $dV \rightarrow + (1 \tau) - (+ \tau)$ sadia Stiffer one is adia. TV8-1= cond dF=d P $dW \rightarrow + (1v) - (1v)$ F=a 1p1-8 TY = cont dg = nC dTBadia = 8P @ 2nd Law of Thermodynamics (Direction of heat flow) Grauss Law: $dU = nC_v dT$ · Claurius: It's impossible to transfer heat from a body at nR(T_f-T_i) $Flux, \phi = \int \vec{E} \cdot d$ W = low \$ T to a body of High T without help of external agents. ØAN (No of field W = [Pdv] Heat Engine - (some through an area 0 sink @ Polytropic (Any other process) IncdT = nCvdT+SPdV Carnot engine $n = \frac{1}{2}(g_1 - g_2)$ W = nRdTPV × = cond. 1 Que D Iso choric [dw=0] 1-2 Bpoly = XP dq = duBisoch = 00 @ Remerse Heat engine $\oint \vec{E} \cdot d\vec{s} = \frac{q_1 - q_2 + q_3}{1 - q_2 + q_3}$ $C = C_V + \frac{R}{1-\lambda}$ S This field is due to $C = \frac{R}{l-1}$ @ Isobaric り=1- 平 charges (iniside or Cp = Cv+R > Non conducting sheet @ conducting 0 3 sheet: co-eff of $E = \frac{\sigma}{e_a}$ performance = 0

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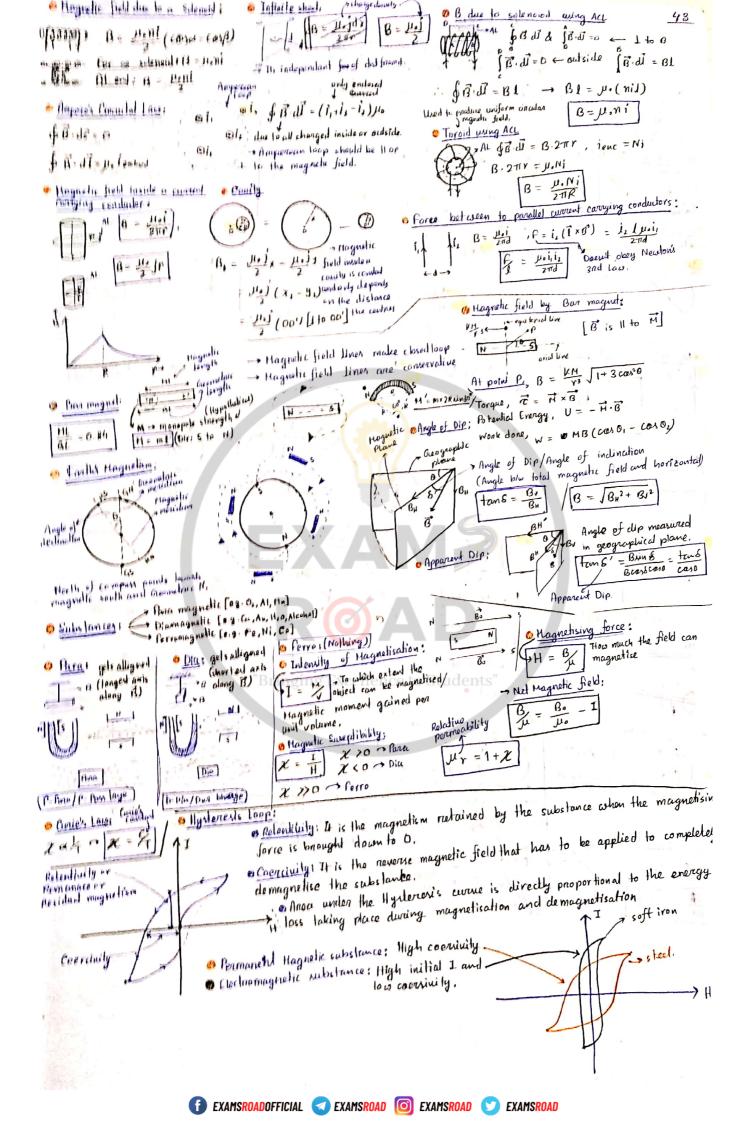


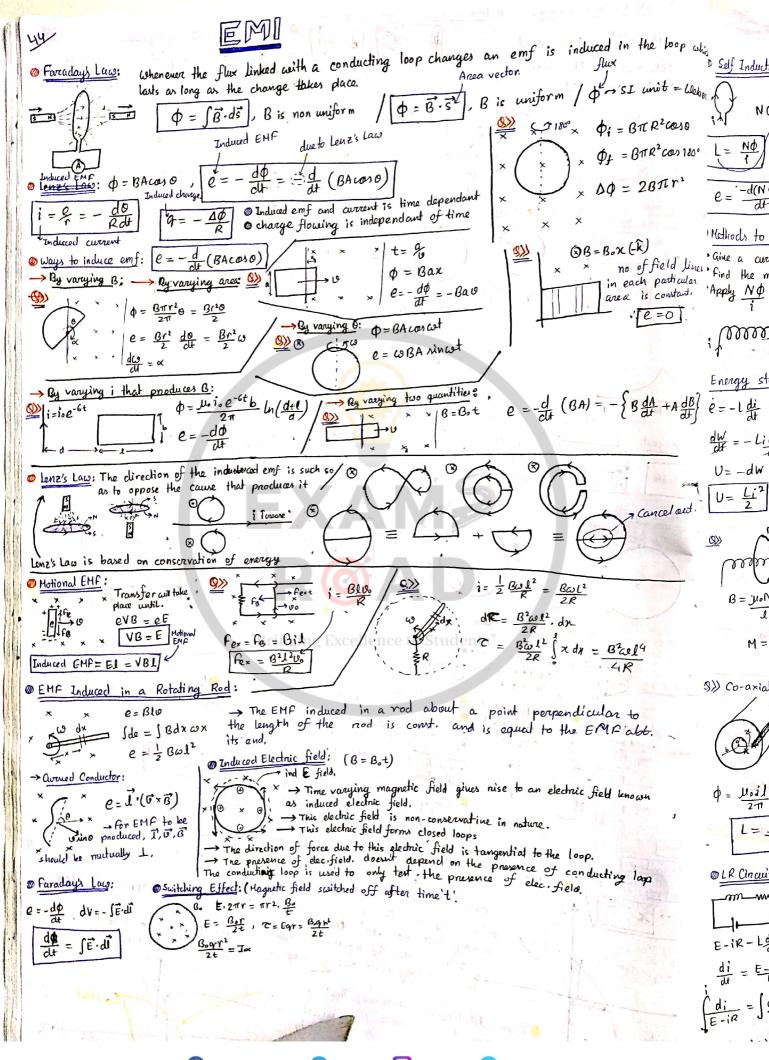


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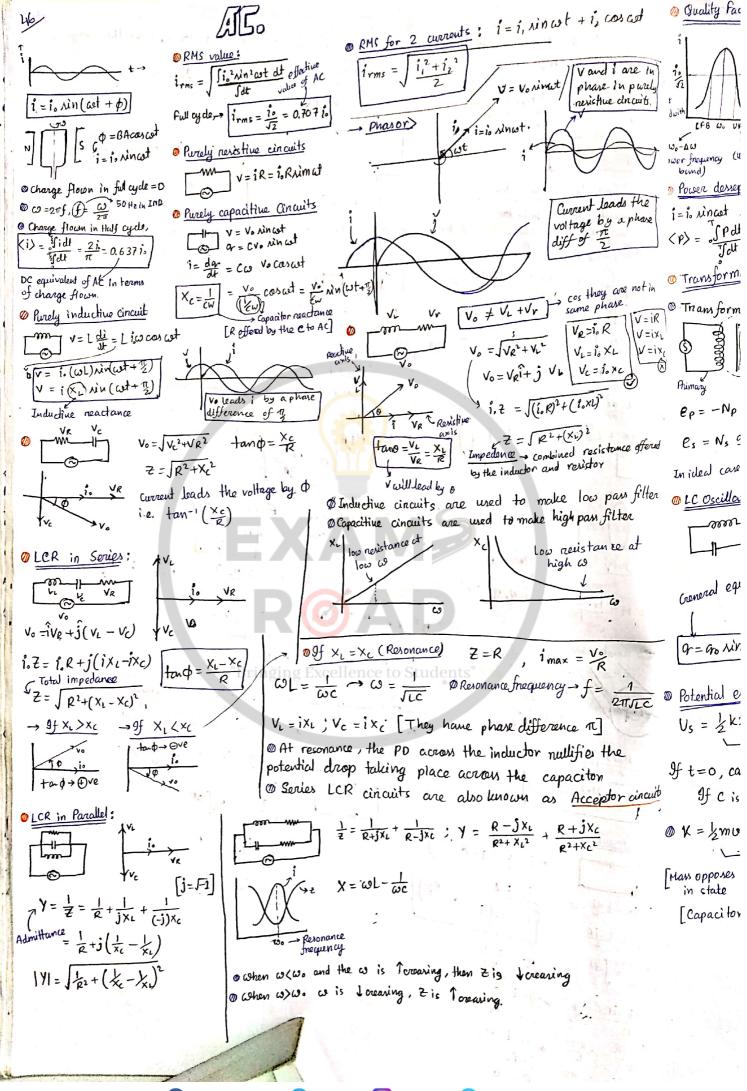
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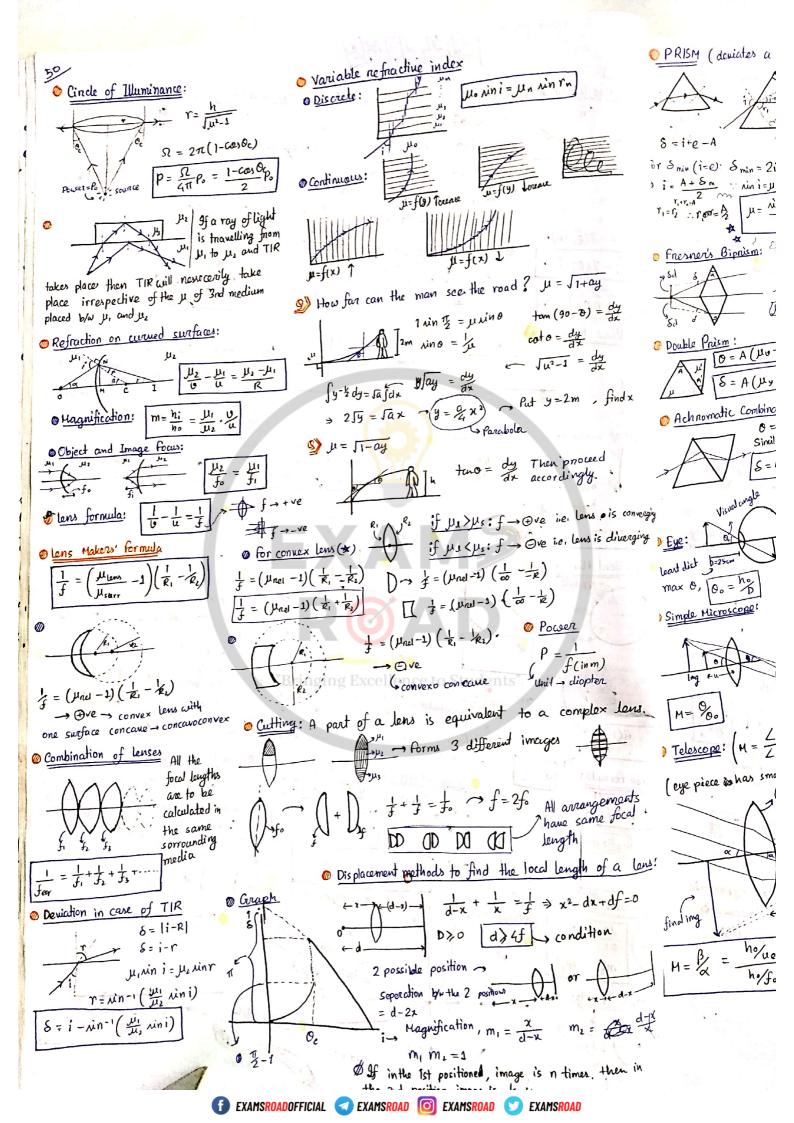


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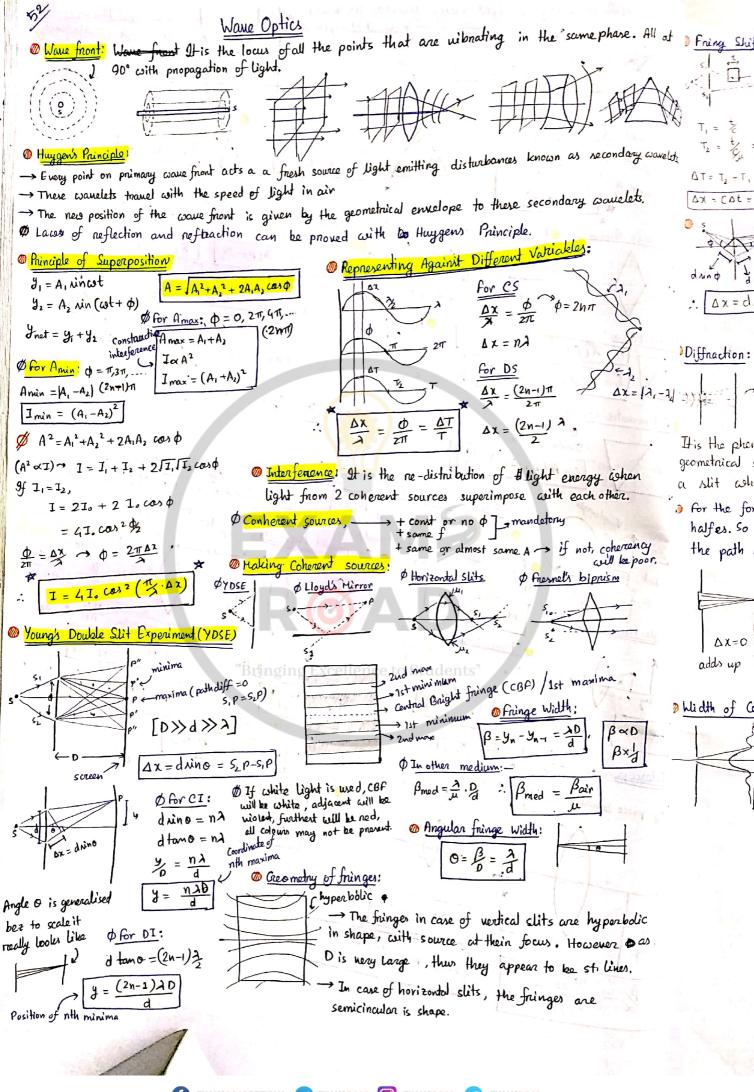


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PRISM (deviates a ray of light twice towards its base) st Same deviation occurs 51 poent always hold. S = i + e - Afor 2 angle of incidence > e-r2 Smin, () i=e At $r_1 + r_2 = A$ () $r_1 = r_2$ (After 1st nefraction , i=e е 1the may is 11 to base @ Condition for no Emergance: $\delta = i + e - A$ @ Small Angle Prism: $A \leq 6^{\circ} \delta = i + e - A$ $\Upsilon_{2_{min}} = \Theta_C$ For Smin (i=e): Smin = 2i - A $\delta = A(\mu - 1)$ i = A+Sm : in i= 11 in r 23 JL = cosec (AZ r,+r,-A² $\mu = \lambda in \left(\frac{A+\delta m}{2}\right)$ $r_1 = r_2 \therefore r_1 er_2 = A_2$ & Yellow is the average (w.r.t 2) sin f 8, = A (Jay - 1) $S_r = A(\mu r - 1)$ Dispensive · Fresner's Biprism: 0 Disportion: O Cauchy's Equation. $\delta_{U} = A(\mu_{U} - I)$ power 0= = W M=A+ B2+ 54 1+ay A ned > > violet · w = I ned > Violet Angular Ju & devicition -1 (b) = dy Direct uision Prism (Dispersion w/o daniche A (My - 2) S = 0, $A(\mu_y - 1) = A'(\mu_y' - 1) \rightarrow A' =$ (1, - 1) 1 Double Prism : [0 = A (μυ-μr)- A' (μν-μr) = dy $0 = A(\mu_v - \mu_r) - \frac{A(\mu_v - 1)}{(\mu_v - 1)}(\mu_v - 1)$ J S=A(My-1)-A'(Hy'-1) , find x $\Rightarrow 0 = A(\mu_{\gamma}-1)(\omega-\omega)$ O Achnomatic Combination: 0=0 Similar process. $S = A(\mu_{y}-1)[1-\omega_{y}]$ ound Ropfical Instrument's DD Z subtended by img at eye gly. 00 L subtended by object placed at D Visual congle O <u>Hicroscope</u>: Magnifying Power, M = ens p is converging Compound Hicroscope: objective lens eye piece Relaxed Eye (Normal adjustment): uns is diverging O Eye: $\Theta = \frac{A'B'}{u_0}$ least dict b=250 $u=f, o=h_u^{o}=$ A'B'/ue max $0, \ 0_0 = \frac{h_0}{D}$ M= AB/D hof = f M = - 1/2 Simple Hicroscope: · Strained eye (img at D): = A'B · The using similar triangles. -1/- - + = + , 0 = he ents $M = \begin{bmatrix} v_0 \\ u_0 \end{bmatrix} \cdot \begin{bmatrix} v_0 \\ u_0 \end{bmatrix}$ @Normal adjustment: (ue=fe) inm) 0=ho(++2) @ Strained Adjustment: (the = te + b) iopter M=1+9 $M = \left| \frac{9}{u_0} \right| (1 + 1)$ M= U. J. M= %. mplex lens. As 100 71 L sub by img Telescope: (M = Z sub by obj wewed directly Mcompound > Msimple ... (eye piece is has small aperture, f) (objective has large aperture, f) @ Longth of microscope: L = Uo + ue angements L = 00 + fe NA> ame focal Df L = 00+ SE>> DH of a lons: x+df=0 NA>> M= finaling ion SE» $M = f_e^{-1+\frac{f_e}{D}}$ holue fo ue ho/fo the d-IX



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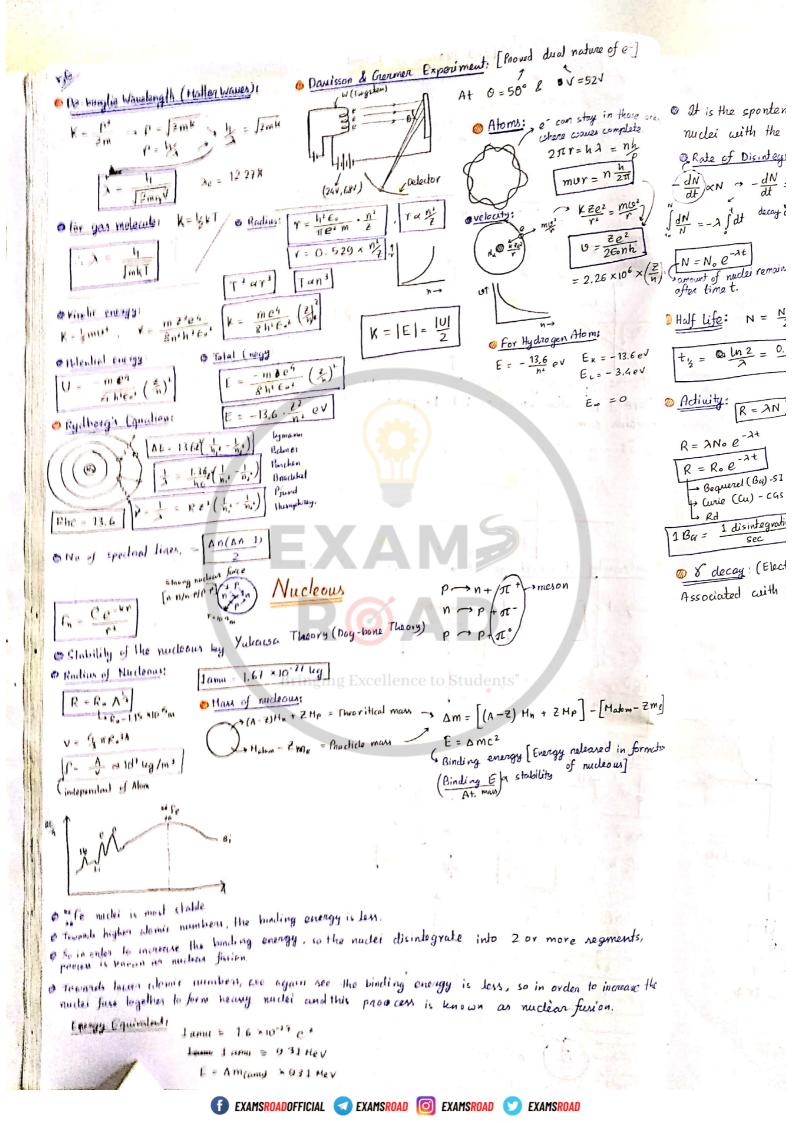
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Polarisation

$$O \in E = E \cdot \min (k \times \ldots k)$$
, $B = B_0 \min (k \times \ldots k)$
 $O \in E = E \cdot \min (k \times \ldots k)$, $B = B_0 \min (k \times \ldots k)$
 $O \in E = E \cdot \min (k \times \ldots k)$
 $C = \frac{C_0}{2k} = \frac{L_0}{4k}$, $U_0 = \frac{C_0}{2\mu_0}$ requel
 $\frac{1}{2} C \cdot E_0^{-1} - \frac{B_0^{-1}}{2\mu_0}$ of Eechic field weeks is nearponnikles for
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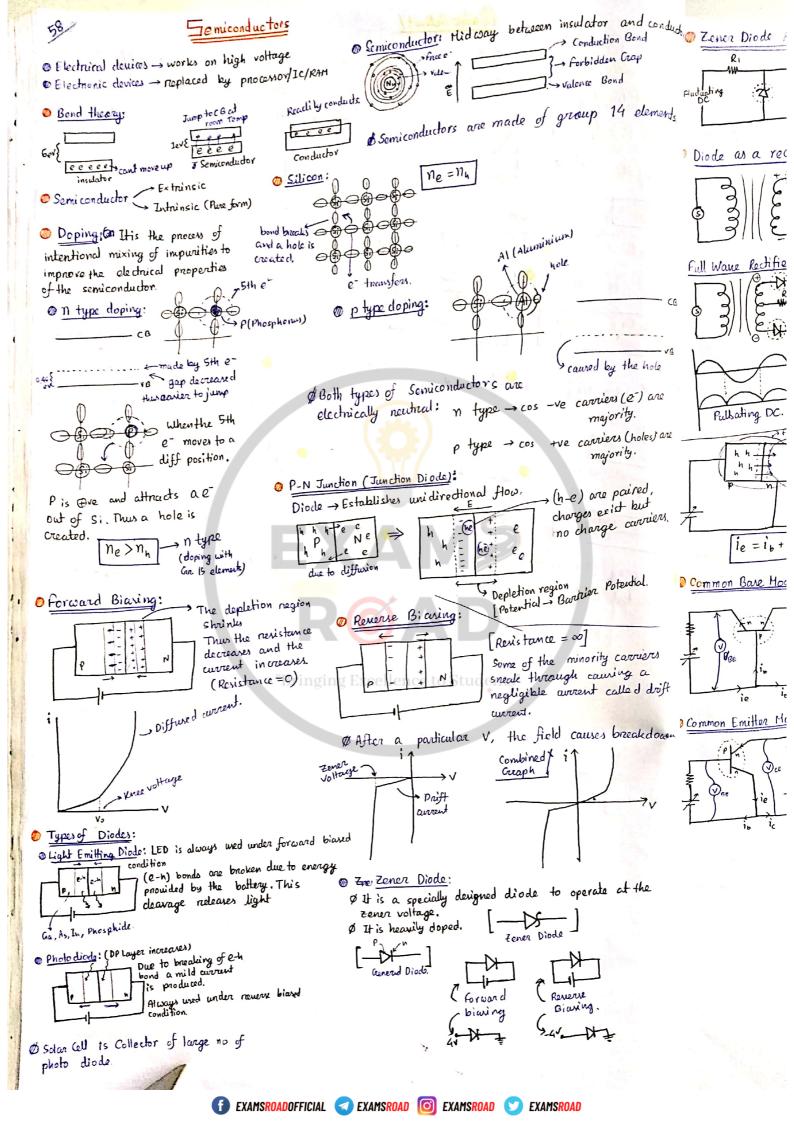
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@ It is the sponteneous disintegration of a heavip nuclei into 2 or more daughter nuclei with the release of enormous amount of energy. @ Rate of Disintegration: 1 @ Amount decayed! Ndecayed = No -N = No (1-e^-At) $\frac{dN}{dt} \propto N \rightarrow -\frac{dN}{dt} = \lambda N$ $\int_{N} \frac{dN}{N} = -\lambda \int dt \quad decay \ const$ $N = N_0 e^{-\lambda t}$ amount of nuclei remaining after time t. & Probability of decaying = 1 - e-At 1 Average Life: Half life: N = No tang = Stoln = 1 $t_{\frac{1}{2}} = 0.4 \ln 2 = 0.693$ Anti rudnino. $\begin{array}{c} & \beta & decay (c:): \\ & \gamma \longrightarrow p + \overline{e} + \overline{y} \end{array} \\ & \stackrel{n}{\longrightarrow} p + \overline{e} + \overline{y} \end{array}$ Q Docay: 2X -2-4 Y + x Dedivity: R= AN ("He") $R = \lambda N_{\circ} e^{-\lambda t}$ $R = R_{\circ} e^{-\lambda t}$ @ [loctrion Capture: (K Capture) -> nutrino 1 B+ decay: - Bequerel (By)-51 *X +e $p \rightarrow n + e^{+} + 2$ 4 curie (Cu) - cas \rightarrow ? Y+e⁺ L Rd 1 disintegration & value: a + X > Y + b By product. 1 Ba = Target Product 1 8 decay: (Electriomagnetic wave) Associated with both & and B docay. Excel Projectile $\Im_{value} = \left[\left(m_a + m_x \right) - \left(m_y + m_b \right) \right] C^2$

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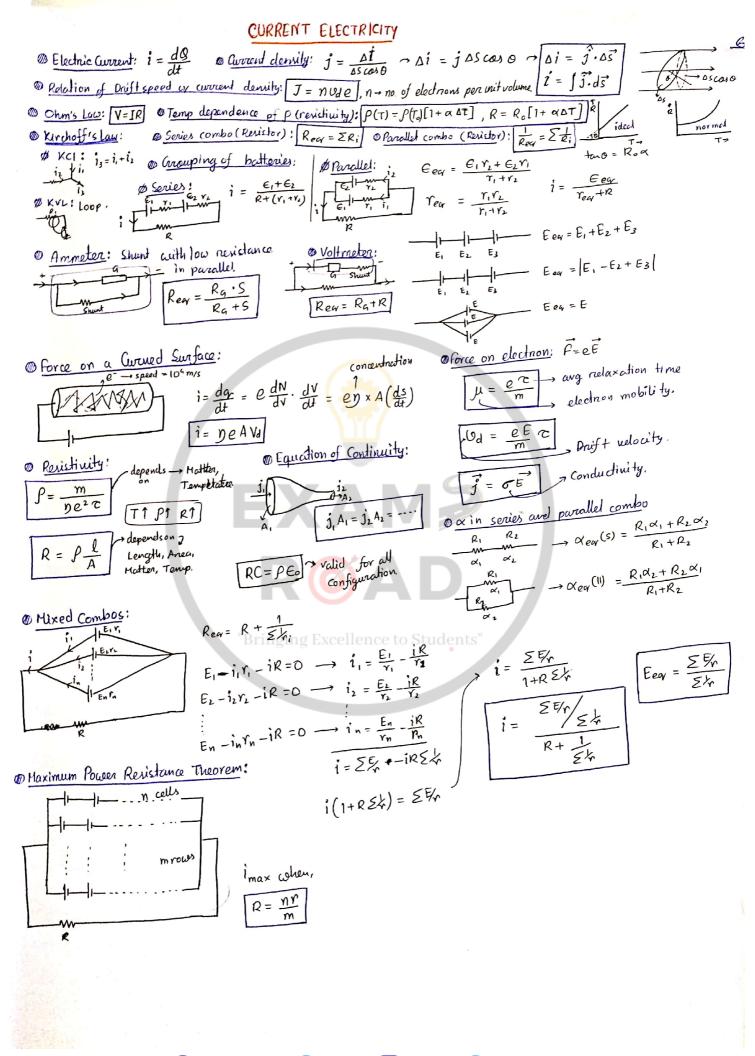


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THERMODYNAMICS

